

Fin622(Corporate Finance) Important Formulas

FORMULA:

The quick ratio is defined as follows:

Quick Ratio = (Current Assets – Inventory) / Current Liabilities

FORMULA:

Receivables Turnover = Annual Credit Sales / Accounts Receivable

FORMULA:

The collection period also can be written as:

Average Collection Period = 365 / Receivables Turnover

FORMULA:

Inventory Period = Annual Cost of Goods Sold / Average Inventory

The inventory period also can be written as:

Inventory Period = 365 / Inventory Turnover

FORMULA:

Inventory Turnover = Cost of Goods Sold / Inventory

Leverage or Long term solvency Ratios

FORMULA:

1. The debt ratio is defined as total debt divided by total assets:

Debt Ratio = Total Debt / Total Assets

FORMULA:

2. The debt-to-equity ratio is total debt divided by total equity:

Debt-to-Equity Ratio = Total Debt / Total Equity

FORMULA:

Interest Coverage = EBIT / Interest Charges

FORMULA:

Gross Profit Margin = Sales - Cost of Goods Sold / Sales

FORMULA:

Return on Assets = Net Income / Total Assets

FORMULA:

Return on Equity = Net Income / Equity

Market Ratios:

FORMULA:

Earning Per Share:

This explains the portion of net income attributable to one common share. It is calculated as:

EPS = net income / No. of O/S shares

FORMULA:

P/E ratio = price per share / EPS

FORMULA:

Market to Book Value:

= MV per share / BV per share

FORMULA:

Present Value (PV) = discount factor. C_1

$PV = C_1 / (1+r)$

C_1 denotes the expected payoff at period 1 & Discount Factor = $1 / (1+r)$

FORMULA:

Future value (FV) without compounding:

$FV = PV(1+rt)$

Where PV is the present value or principal, t is the time in years, and r stands for the per annum interest rate.

To determine future value when interest is compounded:

$$Fv = pv (1+i)^n$$

Where PV is the present value, n is the number of compounding periods, and i stands for the interest rate per period.

The relationship between i and r is:

$$I = r/X$$

X is the number of periods in one year. If interest is compounded annually, $X = 1$. If interest is Compounded semiannually, $X = 2$. If interest is compounded quarterly, $X = 4$.

If interest is compounded

Monthly, $X = 12$ and so on

Similarly, the relationship between n and t is:

$$n = t \times X$$

FORMULA:

$$\text{Present value of annuity} = C [(1/r) - (1/r ((1+r)^t))]$$

FORMULA:

$$\text{Future value of annuity} = Ax [(1+i)^n - 1]$$

IA is the annuity.

FORMULA:

$$\text{Present value of perpetuity} = C/r$$

Where C is the annual return in dollars and r is the discount rate.

FORMULA:

$$\text{The Effective Annual Rate (EAR)} = [1 + i/n]^n - 1$$

Where n is the number of times (or periods) interest is compounded during the year and i is the interest rate per period

FORMULA:

$$\text{Bond price} = P_0 = C + F$$

$$(1+r)^t (1+r)^T$$

The periodic coupon payments C , each of which is made once every period; The par or face value F , which is payable at maturity of the bond after T periods.

FORMULA:

$$\text{Coupon yield} = C / F$$

FORMULA:

Current yield = Annual coupon payment(s) divided by bond price.

$$\text{Current yield} = C / P_0$$

FORMULA:

$$\text{MARKET price} = P_0 = C + F$$

$$(1+YTM)^t (1+YTM)^T$$

FORMULA:

$$ir = in - pe$$

where: in = nominal interest rate

ir = real interest rate

pe = expected or projected inflation over the year

DIVIDEND DISCOUNT MODEL:

After One year

$$P_0 = Div + P_1 / (1 + r)$$

After 2 years the value of stock is:

$$= \text{div}_1 / (1+r) + \text{div}_2 + P_2 / (1+r)^2$$

After 3 years the value of stock is:

$$= \text{div}_1 / (1+r) + \text{div}_2 / (1+r)^2 + \text{div}_3 + P_3 / (1+r)^3$$

Zero GROWTH MODEL

If the value of stock is the PV of all future dividend then

$$PV = \text{DIV} / r$$

When company pay out everything as dividend then earnings and dividend will be equal and PV can be calculated as:

$$PV = \text{EPS} / r$$

CONSTANT GROWTH MODEL:

$$P_0 = D_1 \times (1+g) / (r - g) \text{ or } P_0 = D_1 / (r - g)$$

$$\text{And } P_1 = D_2 / (r - g)$$

FORMULA:

Net Present Value is found by subtracting the required investment:

$$\text{NPV} = PV - \text{required investment}$$

The formula for calculating NPV can be written as:

$$\text{NPV} = C_0 + C_1 / (1+r)$$

Where:

C_0 = the cash flow at time 0 or investment and therefore cash outflow

r = the discount rate/the required minimum rate of return on investment

The discount factor r can be calculated using:

$$q(t, i) = 1 / (1+i)^t$$

FORMULA:

WACC is calculated by multiplying the cost of each capital component by its proportional weight and then summing:

$$\text{WACC} = E / V \times R_e + D / V \times R_d \times (1 - T_c)$$

Where:

R_e = cost of equity

R_d = cost of debt

E = market value of the firm's equity

D = market value of the firm's debt

$$V = E + D$$

E/V = percentage of financing that is equity

D/V = percentage of financing that is debt

T_c = corporate tax rate

FORMULA:

The IRR is found by trial and error.

$$\text{Sum of } C - I_0$$

$$(1+r)^t$$

Where r = IRR

IRR of an annuity:

$$Q(n, r) = I_0 / C$$

Where:

$Q(n, r)$ is the discount factor

I_0 is the initial outlay

C is the uniform annual receipt ($C_1 = C_2 = \dots = C_n$).

FORMULA:

FORMULA:

The Contribution per Unit can be worked out using
Contribution = Price per Unit - Variable Costs per Unit

FORMULA:

Break-even quantity is calculated by:
Total fixed costs / (price - average variable costs)

FORMULA:

The variance explained is 1 minus the unexplained variance:
Variance Explained = $1 - \text{Var}(e) / \text{Var}(M)$

Where:

Var (M) = variance of manager returns

Var (e) = variance of excess return of manager over benchmark

FORMULA:

If we create a portfolio comprising of an Asset A and risk free asset. ,We calculate expected return on portfolio by changing the investment level in both assets The expected return will be

$$E(r) = \%a \times E(r) A + \%b \times R_f$$

And the beta of this portfolio can be computed as:

$$B_p = \%A \times B_a + \%B \times B_b$$

$B_b = 0$ since risk-free asset has zero beta

FORMULA:

$$\text{Reward to Risk} = (E(R_a) - E(R_{rf})) / \text{BETA}_a$$

$$\text{Slope of curve OF Expected Return OF ASSET A} = E(R_a) - R_f / B_a$$

FORMULA:

COST OF EQUITY = DIVIDEND PER SHARE (FOR NEXT YEAR) + DIVIDEND GROWTH

CURRENT MARKET VALUE OF THE STOCK

FORMULA:

The other way to compute the cost of equity is SML (security market line) which tells us that the required rate of return on a risky investment depends on three things.

- i) The risk free rate, R_f
- ii) Market risk premium, $(E(r_m) - R_f)$
- iii) Systematic risk of the asset known as beta, B

Using SML we can write the equation as under:

$$E(r_e) = R_f + B_e \times (E(r_m) - R_f)$$

Where

$E(r_e)$ = is expected return on equity.

B_e = is Beta of equity

FORMULA:

Dividend from preferred stock is essentially perpetuity.

· Cost of preferred stock can be calculated from the following

$$R = D / P_o$$

After-tax Cost of Debt

After-tax cost of debt = Interest rate $\times$ (1 - tax rate)

FORMULA:

$$PV = \text{benefit} / WACC - g$$

FORMULA:

Formula to un-gear equity Beta = $G_{\text{beta}} \times (E / E + D(1-t))$

G_{beta} = Geared beta

E = Weight of equity in capital structure

D = Weight of debt in capital structure

T = Tax rate

FORMULA:

The CAPM is usually expressed:

- β , Beta, is the measure of asset sensitivity to a movement in the overall market; Beta is usually found via regression on historical data. Betas exceeding one signify more than average "risk ness";
- betas below one indicate lower than average.

· is the market premium, the historically observed excess return of the market over the risk-free rate

M & M Model with Taxes

With Taxes

$$V_L = V_U + TCB$$

Proposition 1:

- V_L is the value of a levered firm.
- V_U is the value of an un-levered firm.
- TCB is the tax rate(T_C) $\times$ the value of debt (B)

This means that there are advantages for firms to be levered, since corporations can deduct interest payments. Therefore leverage lowers tax payments. Dividend payments are non-deductible.

Proposition 2:

- R_s - is the cost of equity.
- r_0 is the cost of capital for an all equity firm.
- r_B is the cost of debt.
- B/S - is the debt-to-equity ratio.
- T_c - is the tax rate.

Capital Market Line The CML is illustrated above, with return μ_p on the y axis, and risk σ_p on the x axis.

One can prove that the CML is the optimal CAL and that its equation is:

Security Characteristic Line

The **Security Characteristic Line (SCL)** represents the relationship between the **market return**

(r_M) and the return of a given asset i (r_i) at a given time t. In general, it is reasonable to assume that the

SCL is a straight line and can be illustrated as a statistical equation: where α_i is called the asset's alpha coefficient and β_i the asset's beta coefficient

FORMULA:

$$\text{WORKING CAPITAL} = \text{CURRENT ASSETS} - \text{CURRENT LIABILITIES}$$

FORMULA:

Securities Market Line

The relationship between Beta & required return is plotted on the securities market line (SML) which shows expected return as a function of β . The intercept is the risk-free rate available for the market, while the slope is . The Securities market line can be regarded as representing a single-factor model of the asset price, where Beta is exposure to changes in value of the Market. The equation of the SML is thus

FORMULA:

Capital Allocation Line

The **Capital Allocation Line (CAL)** is the line that connects all portfolios that can be formed using a risky asset and a risk-less asset. It can be proven that it is a straight line and that it has the following equation.

In this formula P is the risky portfolio, F is the risk-less portfolio and C is a combination of portfolios P and F.