

MTH202 SOLVED ASSIGNMENT ENJOY

solution:

BASIC STEP:

$$p(4) = 2^n$$

$$2^4 = 16 < 24 = 4!$$

INDUCTIVE STEP:

For this step we assume that $p(k)$ is true for positive integer k with $k \geq 4$

Assume:

$$2^k < k!$$

$$2^{k+1} < (k+1)!$$

$$2^{k+1} = 2 \cdot 2^k$$

$$< 2 \cdot k!$$

$$< (k+1)k!$$

$$= (k+1)!$$

So $p(k+1)$ is true when $p(k)$ is true.

solution of question 2:

Let $a = 4566891$ and $b = 182$. Also, let's introduce the variable "r" for the remainder. Let's evaluate a/b . It turns out that $a/b = 25092$ remainder 147. What we're interested in is the remainder.

So let . Now assign the value of "b" to "a" and the value of "r" to "b".

So now **$a=182, b=147$ and $r=147$**

Now we must ask ourselves: "Does $b=0$?". Since $b=147$ (which is NOT zero), we must start all over and keep going until "b" equals zero.

Let's evaluate a/b . It turns out that $a/b = 182/147 = 1$ remainder 35. What we're interested in is the remainder.

So let . Now assign the value of "b" to "a" and the value of "r" to "b".

So now **$a=147, b=35$, and $r=35$**

Now we must ask ourselves: "Does $b=0$?". Since $b=35$ (which is NOT zero), we must start all over and keep going until "b" equals to zero

Let's evaluate a/b . It turns out that $a/b = 147/35 = 4$ remainder 7. What we're interested in is the remainder.

So let . Now assign the value of "b" to "a" and the value of "r" to "b".

So now **$a=35, b=7$, and $r=7$**

Now we must ask ourselves: "Does $b=0$?". Since $b=7$ (which is NOT zero), we must start all over and keep going until "b" equals zero.

Let's evaluate a/b . It turns out that $a/b = 35/7 = 5$ remainder 0. What we're interested in is the remainder.

So let . Now assign the value of "b" to "a" and the value of "r" to "b".

So now **a=7 ,b=0 , and r=0**

Since the value of b is now zero, we can stop the process.

Now the value of "a" in the last row is the GCD of the numbers "a" and "b"

So this means that **GCD(4566891,182)=7.**